



PROGRAM STUDI STATISTIKA
SK BAN-PT No. 1765/SK/BAN-PT/AK-PPJS/III/2022
FAKULTAS SAINS DAN TEKNOLOGI
UNIVERSITAS PGRI ADI BUANA SURABAYA

FORM F.SK05
BIMBINGAN SKRIPSI

Nama : Faldianus Karno
NIM : 202400005
Judul Skripsi : Pemodelan Pada Faktor Penyebaran Demam Berdarah *Deunge* (DBD) di Provinsi Jawa Barat Tahun 2022 Dengan *Geographchally Weighted Regression* (GWR)
Dosen Pembimbing 1 : Fenny Fitriani, S.Si, M.Si
Dosen Pembimbing 2 : Gangga Anuraga, S.Si., M.Si, Ph.D

Materi Pembimbingan Skripsi	Tanda Tangan Dosen Pembimbing
1. Revisi Statistika Deskriptif	
2. Revisi Peta	
3. Revisi Interpretasi OLS	
4. Revisi Penulisan Persamaan OLS	
5. Revisi Interpretasi Variabel Signifikan	
6. Revisi Interpretasi model GWR	
7. Revisi Lampiran Syntax R studio	
8. Revisi artikel	

Catatan: *) Coret yang tidak sesuai

Lembar ini digunakan untuk mendaftar Seminar dan Ujian Skripsi
(bimbingan skripsi minimal 8 kali)



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FORM F.SK08

PERBAIKAN/REVISI SEMINAR DAN UJIAN SKRIPSI

Nama : Faldianus Karno
NIM : 202400005
Judul Skripsi : Pemodelan Pada Faktor Penyebaran Demam Berdarah *Deunge* (DBD) di Provinsi Jawa Barat Tahun 2022 Dengan *Geographchally Weighted Regression* (GWR)
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Materi Perbaikan/Revisi Proposal	Tanda Tangan Dosen Penguji
1. Perbaikan koefisien korelasi antara Variabel Independen dan Dependen	
2. Justifikasi Variabel Signifitan	
3.	
4.	
5.	
6.	

Surabaya, 4 Juli 2024

Pembimbing 1

Fenny Fitriani, S.Si,M.Si
NPP. 1503717/DY

Pembimbing 2

Gangga Anuraga, S.Si., M.Si, Ph.D
NIP. 198601182015041001

Catatan: *) Coret yang tidak sesuai

Lembar ini digunakan untuk bukti perbaikan makalah/jurnal dan hasil ujian skripsi Batas waktu revisi proposal dua minggu terhitung dari waktu ujian skripsi

LAMPIRAN

Lampiran 1. Data Penelitian

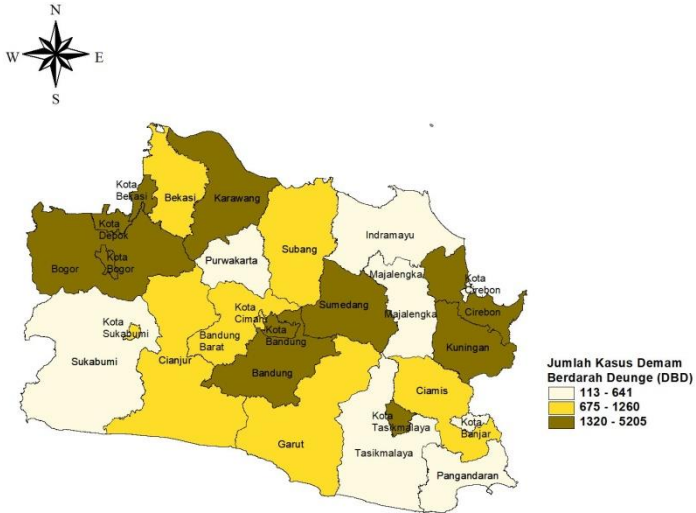
Nama kabupaten kota	Y	X1	X2	X3	X4	X5	v	U
Kabupaten Bogor	1953	4374	8,34	73,47	7,73	101	-6,6	106,8
Kabupaten Sukabumi	383	2167	7,11	63,32	7,34	58	-6,92405	106,9222
Kabupaten Cianjur	819	1678	7,2	61,76	10,55	47	-6,81725	107,1307
Kabupaten Bandung	4191	2310	9,08	70,85	6,8	62	-6,91474	107,6098
Kabupaten Garut	904	2464	7,83	51,9	10,42	67	-7,22791	107,9087
Kabupaten Tasikmalaya	319	1091	7,73	54,39	10,73	40	-7,32795	108,2141
Kabupaten Ciamis	702	1207	8	75,5	7,72	37	-7,33333	108,35
Kabupaten Kuningan	1474	1418	7,88	69,29	12,76	37	-6,98333	108,4833
Kabupaten Cirebon	1815	3049	7,4	86,76	12,01	60	-6,71553	108,564
Kabupaten Majalengka	641	1242	7,49	81,26	11,94	32	-6,8531	108,2259
Kabupaten Sumedang	2186	944	8,72	80,59	10,14	35	0,609595	110,0331
Kabupaten Indramayu	370	1648	6,83	86,64	12,77	49	-6,33632	108,3251
Kabupaten Subang	995	1324	7,2	80,02	9,75	40	-6,56936	107,7524
Kabupaten Purwakarta	412	1835	8,11	82,46	8,7	20	-6,53868	107,4499
Kabupaten Karawang	1320	3313	7,96	85,1	8,44	50	-6,32273	107,3376
Kabupaten Bekasi	1009	4444	9,53	89,99	5,01	46	-6,23333	107
Kabupaten Bandung Barat	1260	1091	8,22	50,96	10,82	32	-6,89371	107,4322
Kabupaten Pangandaran	502	562	8,03	83	9,32	15	-7,61506	108,4988
Kota Bogor	1531	3029	10,63	67,93	7,1	25	-6,6	106,8
Kota Sukabumi	1028	1221	10,14	45,8	8,02	15	-6,92405	106,9222
Kota Bandung	5205	6645	11	49,85	4,25	80	-6,91474	107,6098
Kota Cirebon	270	1322	10,33	90,62	9,82	22	-6,71553	108,564
Kota Bekasi	2442	5445	11,44	90,8	4,43	48	-6,23333	107
Kota Depok	2234	3372	11,47	96,21	2,53	38	-6,39	106,83
Kota Cimahi	675	1604	11,21	77,18	5,11	13	-6,88024	107,5355
Kota Tasikmalaya	1855	1597	9,53	52,62	12,72	22	-7,32795	108,2141
Kota Banjar	113	494	8,78	88,26	6,73	10	-7,36667	108,5333

Keterangan :

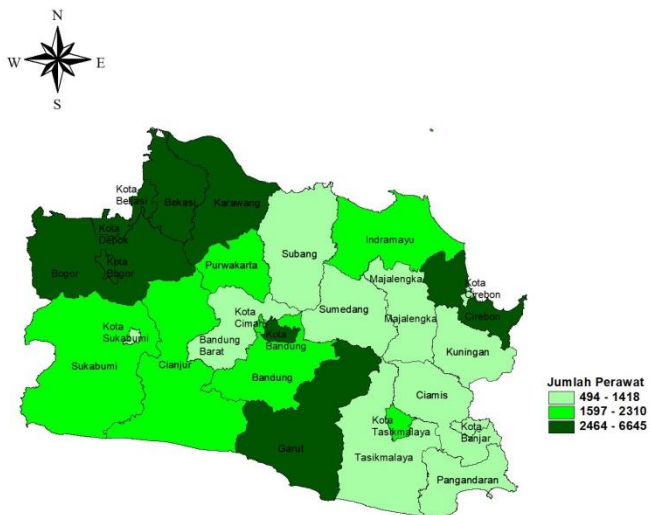
- Y : Jumlah Kasus DBD
- X1 : Jumlah Perawat
- X2 : Rata-rata Lama Sekolah
- X3 : Persentase Rumah Tangga Yang memiliki Sanitasi layak huni
- X4 : Persentase Penduduk Miskin
- X5 : Jumlah Puskesmas

Lampiran 2. Peta tematik Pada Setiap Variabel

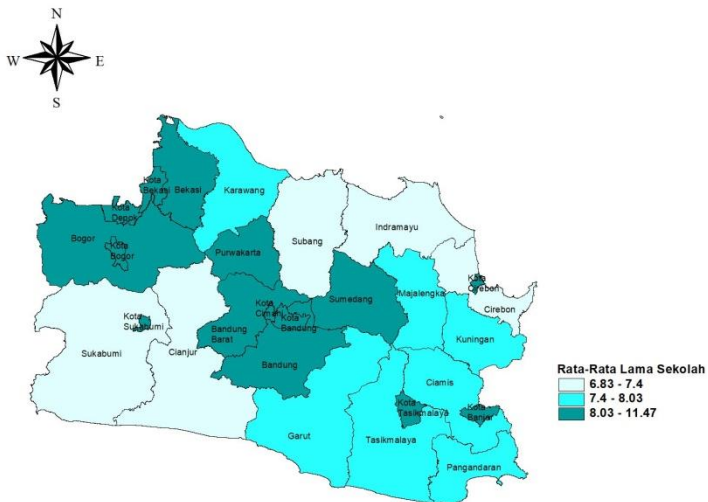
Pembuatan peta tematik menggunakan aplikasi ArcView versi 3.3



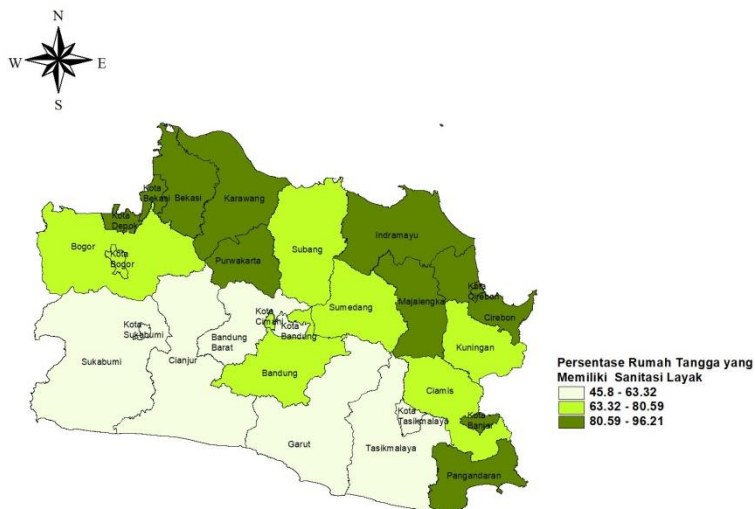
Peta Persebaran Jumlah Kasus Demam Berdarah *Deunge* (DBD)



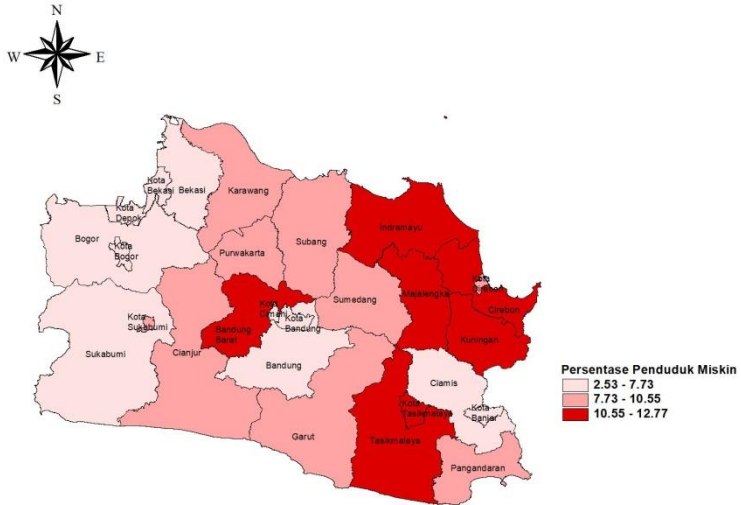
Peta Persebaran Jumlah Perawat (X_1)



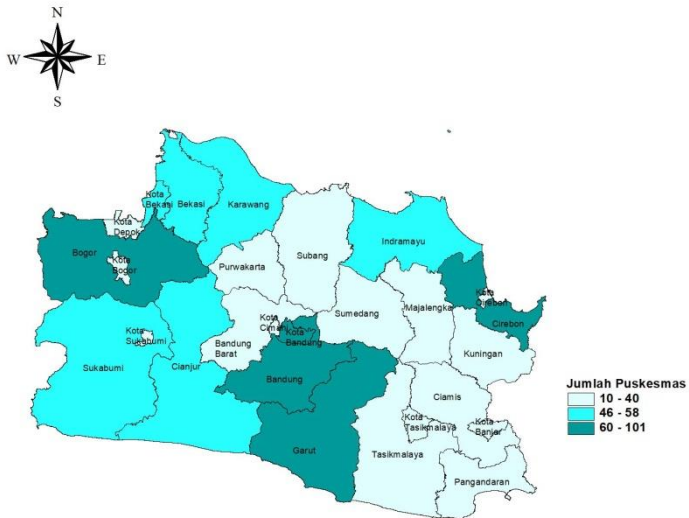
Peta Persebaran Rata-rata Lama Sekolah (X_2)



Peta Persebaran Persentase Rumah Tangga yang Memiliki Sanitasi Layak (X_3)



Peta Persebaran Persentase Penduduk Miskin (X_4)



Peta Persebaran Jumlah Perawat (X_5)



Peta Persebaran Variabel Signifikan

Lampiran 3. Bandwith Masing-masing Fungsi Kernel tiap kabupaten/kota

Fungsi Pembobot

Fungsi Pembobot	Bandwidth
<i>Fix Kernel Gaussian</i>	4,752558
<i>Fix Kernel Tricube</i>	7,752624
<i>Fix Kernel Bisquare</i>	4,752558
<i>Addaptive Kernel Gaussian</i>	0,9812593
<i>Addaptive Kernel Tricube</i>	0,9812593
<i>Addaptive Kernel Bisquare</i>	0,4980761

Fungsi Kernel Tiap Kabupaten/kota

Kabupaten/kota	<i>Addaptive Bisquare</i>	<i>Addaptive Tricube</i>	<i>Addaptive Gaussian</i>
Kabupaten Bogor	0,8688257	4,904625	4,904625
Kabupaten Sukabumi	0,730837	4,897464	4,897464
Kabupaten Cianjur	0,5983748	4,740434	4,740434
Kabupaten Bandung	0,7320602	4,477691	4,477691
Kabupaten Garut	0,8279439	4,702583	4,702583
Kabupaten Tasikmalaya	0,8880491	4,868816	4,868816
Kabupaten Ciamis	0,969936	4,916134	4,916134
Kabupaten Kuningan	0,8762109	4,71707	4,71707
Kabupaten Cirebon	0,9747651	4,585172	4,585172
Kabupaten Majalengka	0,6909228	4,53731	4,53731

Kabupaten/kota	<i>Addaptive Bisquare</i>	<i>Addaptive Tricube</i>	<i>Addaptive Gaussian</i>
Kabupaten Sumedang	7,901323	8,257298	8,257298
Kabupaten Indramayu	0,9978321	4,31665	4,31665
Kabupaten Subang	0,8246582	4,371165	4,371165
Kabupaten Purwakarta	0,6534649	4,515219	4,515219
Kabupaten Karawang	0,730837	4,553475	4,553475
Kabupaten Bekasi	0,9144346	4,729095	4,729095
Kabupaten Bandung Barat	0,7850897	4,574557	4,574557
Kabupaten Pangandaran	1,2847713	5,180599	5,180599
Kota Bogor	0,8688257	4,904625	4,904625
Kota Sukabumi	0,730837	4,897464	4,897464
Kota Bandung	0,7320602	4,477691	4,477691
Kota Cirebon	0,9747651	4,585172	4,585172
Kota Bekasi	0,9144346	4,729095	4,729095
Kota Depok	0,9399266	4,850174	4,850174
Kota Cimahi	0,7870795	4,513342	4,513342
Kota Tasikmalaya	0,8880491	4,868816	4,868816

Kabupaten/kota	<i>Addaptive Bisquare</i>	<i>Addaptive Tricube</i>	<i>Addaptive Gaussian</i>
Kota Banjar	11100825	5,002843	5,002843

Lampiran 4. T_hitung Parameter Parsial Model GWR Pada Setiap Kabupaten/kota

Nama kabupaten kota	X1	X2	X3	X4	X5
Kabupaten Bogor	0,589269	2,140184	0,920173	1,007955	1,554733
Kabupaten Sukabumi	0,113427	1,338775	0,557477	0,843848	0,729961
Kabupaten Cianjur	1,357708	1,584954	-0,76231	0,919294	1,013197
Kabupaten Bandung	-0,99874	-1,43589	-1,7036	-2,74592	2,17796
Kabupaten Garut	0,101041	2,966047	2,028936	1,846806	2,627173
Kabupaten Tasikmalaya	2,580241	0,785213	0,16697	0,860725	-0,54962
Kabupaten Ciamis	2,818057	-0,59345	-0,7653	0,510697	-1,48288
Kabupaten Kuningan	1,840607	-0,91555	-1,23308	0,35419	-1,398
Kabupaten Cirebon	1,912379	-0,77031	-1,76621	0,222238	-1,26804
Kabupaten Majalengka	2,602229	-0,68237	-1,50509	0,26244	-1,3075
Kabupaten Sumedang	-0,934	2,763436	-2,59115	-0,28343	2,732839
Kabupaten Indramayu	0,773259	0,107501	-2,01761	-0,43987	0,102619
Kabupaten Subang	-0,99584	0,161723	-1,07382	-1,42139	3,447921
Kabupaten Purwakarta	-1,01828	-0,2012	-1,10008	-0,96008	2,189339
Kabupaten Karawang	-0,51928	1,405744	0,316737	0,667528	1,827141
Kabupaten Bekasi	-0,61432	2,057854	1,08116	1,133167	1,684728
Kabupaten Bandung Barat	-0,41435	3,25946	1,220908	1,506391	4,253611
Kabupaten Pangandaran	2,821096	-0,57216	-0,72445	0,527137	-1,4392
Kota Bogor	-0,58927	2,140184	0,920173	1,007955	1,554733
Kota Sukabumi	-0,11343	1,338775	0,557477	0,843848	0,729961
Kota Bandung	-0,99874	-1,43589	-1,7036	-2,74592	2,17796
Kota Cirebon	1,912379	-1,77031	-1,76621	0,222238	-1,26804
Kota Bekasi	-0,61432	2,057854	1,08116	1,133167	1,684728
Kota Depok	-0,58642	2,194366	1,007856	1,110495	1,604745
Kota Cimahi	-0,46933	2,024239	0,752313	0,202195	3,824755
Kota Tasikmalaya	2,580241	0,785213	0,16697	0,860725	-0,54962
Kota Banjar	2,077598	-0,90359	-0,93801	0,454471	-1,4408

Lampiran 5. Syintaks dan Output R studio

#Packages yang digunakan

```
library(car)
library(lmtest)
library(spgwr)
library(fBasics)
library(AICcmodavg)
library(foreign)
library(lattice)
library(zoo)
library(lmtest)
library(ape)
library(Matrix)
library(mvtnorm)
library(emulator)
library(MLmetrics)
library(spgwr)
library(GWmodel)
library(sp)
library(skedastic)
```

#Input Data

```
library(readxl)
FGWR <- read_excel("D:/semester 7/proposal Skripsi/T
uhan yesus/DATA SKRIPSI DAN SINTAKS/FGWR.xlsx",
  col_types = c("text", "numeric",
               "numeric", "numeric", "numeric",
               "numeric", "numeric", "numeric", "numeric"))
attach(FGWR)
FGWR
summary(FGWR)
```

Nama kabupaten kota	Y	X1	X2
Length:27	Min. : 113.0	Min. : 494	Min. : 6.830
Class :character	1st Qu.: 571.5	1st Qu.:1232	1st Qu.: 7.780
Mode :character	Median :1009.0	Median :1648	Median : 8.220
	Mean :1355.9	Mean :2255	Mean : 8.785
	3rd Qu.:1835.0	3rd Qu.:3039	3rd Qu.: 9.835
	Max. :5205.0	Max. :6645	Max. :11.470
	X3	X4	X5
Min. :45.80	Min. : 2.530	Min. : 10.00	Min. :-7.6151
1st Qu.:62.54	1st Qu.: 6.950	1st Qu.: 23.50	1st Qu.: -6.9537
Median :77.18	Median : 8.700	Median : 38.00	Median :-6.8531

Mean	:73.58	Mean	: 8.654	Mean	: 40.78	Mean	:-6.5537
3rd Qu.:	85.87	3rd Qu.:	10.640	3rd Qu.:	49.50	3rd Qu.:	-6.5540
Max.	:96.21	Max.	:12.770	Max.	:101.00	Max.	: 0.6096

U

Min.	:106.8
1st Qu.:	107.1
Median	:107.6
Mean	:107.8
3rd Qu.:	108.3
Max.	:110.0

#Cek Korelasi Variabe INDEPENDEN~DEPENDEN

```
#cek korelasi dependen independen
{r cek korelasi variabel independen}
cor(FGWR[, -c(1,8:9)])
  Y      X1      X2      X3      X4      X5
Y  1.00000  0.661069  0.439750  -0.190236  -0.3751  0.51991
X1 0.66106  1.000000  0.459812  0.052631  -0.57139  0.658599
X2 0.43975  0.459812  1.000000  0.073843  -0.710788 -0.18294
X3 -0.19023 0.052631  0.073843  1.000000  -0.22932  -0.14306
X4 -0.37514 -0.57139 -0.710788  -0.229325  1.00000  -0.10003
X5 0.51991  0.658599  -0.182942  -0.143060  -0.10003  1.000000
#p-valuecorelasi
cor.test(Y,X1)
Pearson's product-moment correlation

data: Y and X1
t = 4.4052, df = 25, p-value = 0.0001741
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.3753487 0.8320574
sample estimates:
  cor
0.6610692
cor.test(Y,X2)
Pearson's product-moment correlation

data: Y and X2
t = 2.4482, df = 25, p-value = 0.02172
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.07172244 0.70238771
sample estimates:
  cor
0.4397508
cor.test(Y,X3)
Pearson's product-moment correlation

data: Y and X3
t = -0.96887, df = 25, p-value = 0.3419
```

```
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
```

```
-0.5318047 0.2045663
```

```
sample estimates:
```

```
cor
```

```
-0.1902362
```

```
cor.test(Y,X4)
```

```
Pearson's product-moment correlation
```

```
data: Y and X4
```

```
t = -2.0235, df = 25, p-value = 0.05383
```

```
alternative hypothesis: true correlation is not equal to 0
```

```
95 percent confidence interval:
```

```
-0.660936298 0.005677507
```

```
sample estimates:
```

```
cor
```

```
-0.3751458
```

```
cor.test(Y,X5)
```

```
Pearson's product-moment correlation
```

```
data: Y and X5
```

```
t = 3.0432, df = 25, p-value = 0.005442
```

```
alternative hypothesis: true correlation is not equal to 0
```

```
95 percent confidence interval:
```

```
0.1743429 0.7514572
```

```
sample estimates:
```

```
cor
```

```
0.5199113
```

#Regresi OLS

```
regols<-lm(formula=Y~X1+X2+X3+X4+X5,data=FGWR)
```

```
summary(regols)
```

```
Call:
```

```
lm(formula = Y ~ X1 + X2 + X3 + X4 + X5, data = FGWR)
```

```
Residuals:
```

```
    Min       1Q   Median       3Q      Max
-1149.8 -514.4  101.4   371.4  2113.4
```

```
Coefficients:
```

```
            Estimate Std. Error t value Pr(>|t|)
(Intercept) -4.113e+03  2.981e+03  -1.380  0.1821
X1           7.825e-02  2.406e-01   0.325  0.7482
X2           4.881e+02  2.181e+02   2.238  0.0362 *
X3          -1.011e+01  1.188e+01  -0.851  0.4045
X4           5.724e+01  9.292e+01   0.616  0.5445
X5           3.072e+01  1.546e+01   1.987  0.0601 .
---

```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 832.3 on 21 degrees of freedom
Multiple R-squared: 0.5954, Adjusted R-squared: 0.499
F-statistic: 6.18 on 5 and 21 DF, p-value: 0.001136
```

#Deteksi multikolinearitas

```
vif(regols)
```

```
      X1      X2      X3      X4      X5
5.026558 3.764369 1.185816 2.584348 4.104894
```

#Pengujian signifikansi parameter OLS

```
anova(regols)
```

```
Analysis of Variance Table
```

```
Response: Y
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
X1	1	15712889	15712889	22.6810	0.0001052 ***
X2	1	840642	840642	1.2134	0.2831182
X3	1	1973289	1973289	2.8484	0.1062643
X4	1	144352	144352	0.2084	0.6527360
X5	1	2735740	2735740	3.9489	0.0601000 .
Residuals	21	14548324	692777		

```
---
```

```
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

#AIC OLS

```
AIC(regols)
```

```
[1] 446.9457
```

#Pengujian Asumsi Klasik Regresi Ols Dan Efek Spasial

#Uji Normalitas Residual

```
resid<-abs(regols$residuals)
```

```
res=regols$residual
```

```
ks.test(res, "pnorm", mean(res), sd(res), alternative=c("two.sided"))
```

```
Exact one-sample Kolmogorov-Smirnov test
```

```
data: res
```

```
D = 0.13577, p-value = 0.6528
```

```
alternative hypothesis: two-sided
```

#Uji Heterogenitas Spasial (Heterokedastisitas) Untuk Melihat Keragaman Data Spasial

```
bptest(lm(regols$residuals~X1+X2+X3+X4+X5, data=FGWR))
```


studentized Breusch-Pagan test

```
data: lm(regols$residuals ~ X1 + X2 + X3 + X4 + X5, data = FGWR)
BP = 12.934, df = 5, p-value = 0.02401
```

#Pengujian Independen

```
dwtest(lm(regols$residuals~X1+X2+X3+X4+X5, data =FGWR))
Durbin-Watson test
```

```
data: lm(regols$residuals ~ X1 + X2 + X3 + X4 + X5, data = FGWR)
DW = 2.3166, p-value = 0.7023
alternative hypothesis: true autocorrelation is greater than 0
```

#Penentuan Fungsi Pembobot Pada Model GWR

#fixed kernel Gaussian

```
fixgauss=gwr.sel(Y~X1+X2+X3+X4+X5,data = FGWR,adapt=FALSE,coords=c
bind(FGWR$U,FGWR$V),gweight=gwr.Gauss)
gwr.fixgauss=gwr(Y~X1+X2+X3+X4+X5,data = FGWR,bandwidth = fixgauss
,coords = cbind(FGWR$U,FGWR$V),hatmatrix = TRUE,gweight = gwr.Gaus
s)
gwr.fixgauss
names(gwr.fixgauss)
BFC02.gwr.test(gwr.fixgauss)
anova(gwr.fixgauss)
```

Call:

```
gwr(formula = Y ~ X1 + X2 + X3 + X4 + X5, data = FGWR, coords = cb
ind(FGWR$U, FGWR$V), bandwidth = fixgauss, gweight = gwr.Gauss, h
atmatrix = TRUE)
```

Kernel function: gwr.Gauss

Fixed bandwidth: 4.752558

Summary of GWR coefficient estimates at data points:

	Min.	1st Qu.	Median	3rd Qu.	Max.
X.Intercept.	-5596.80821	-3374.90886	-3336.13480	-3300.12619	-3237.77253

X1	-0.10652	0.14679	0.15132	0.15350	0.16175
X2	419.85808	425.53862	428.89585	432.40131	613.69267
X3	-12.68752	-12.61367	-12.59718	-12.54712	-6.04824
X4	43.06465	43.99933	44.71540	45.33472	76.12869
X5	26.25272	26.66048	26.72676	26.91632	41.05154

Global

X.Intercept.	-4113.4068
X1	0.0783
X2	488.1392
X3	-10.1058
X4	57.2410
X5	30.7213

Number of data points: 27

```

Effective number of parameters (residual: 2traceS - traceS'S): 6.7
42854
Effective degrees of freedom (residual: 2traceS - traceS'S): 20.25
715
Sigma (residual: 2traceS - traceS'S): 821.326
Effective number of parameters (model: traceS): 6.444053
Effective degrees of freedom (model: traceS): 20.55595
Sigma (model: traceS): 815.3348
Sigma (ML): 711.4147
AICc (GWR p. 61, eq 2.33; p. 96, eq. 4.21): 452.9176
AIC (GWR p. 96, eq. 4.22): 437.6985
Residual sum of squares: 13664994
Quasi-global R2: 0.6199443
[1] "SDF" "lhat" "lm" "results" "bandwidth" "
adapt"
[7] "hatmatrix" "gweight" "gTSS" "this.call" "fp.given"
"timings"

```

Brunsdon, Fotheringham & Charlton (2002, pp. 91-2) ANOVA

```

data: gwr.fixgauss
F = 1.0646, df1 = 21.000, df2 = 20.257, p-value = 0.4452
alternative hypothesis: greater
sample estimates:
SS OLS residuals SS GWR residuals
14548324 13664994

```

Analysis of Variance Table

	Df	Sum Sq	Mean Sq	F value
OLS Residuals	6.00000	14548324		
GWR Improvement	0.74285	883330	1189103	
GWR Residuals	20.25715	13664994	674576	1.7627

#untuk Fixed kernel Bisquare

```
fixbisquare=gwr.sel(Y~X1+X2+X3+X4+X5,data=FGWR,adapt
```

```

=FALSE,coords=cbind(FGWR$U,FGWR$V),gweight=gwr.bisquare)
gwr.fixbisquare=gwr(Y~X1+X2+X3+X4+X5,data=FGWR,bandwidth=fixbisqua
re,coords=cbind(FGWR$U,FGWR$V),hatmatrix=TRUE,gweight=gwr.bisquare
)
gwr.fixbisquare
names(gwr.fixbisquare)
BFC02.gwr.test(gwr.fixbisquare)
anova(gwr.fixbisquare)

```

Call:

```
gwr(formula = Y ~ X1 + X2 + X3 + X4 + X5, data = FGWR, coords = cb
ind(FGWR$U,
```

```

FGWR$V), bandwidth = fixbisquare, gweight = gwr.bisquare,
hatmatrix = TRUE)
Kernel function: gwr.bisquare
Fixed bandwidth: 7.752624
Summary of GWR coefficient estimates at data points:
      Min.      1st Qu.      Median      3rd Qu.      Max.
X.Intercept. -3.0923e+03 -3.0652e+03 -3.0153e+03 -2.9480e+03  9.2
610e+03
X1      -8.2934e-03  1.7568e-01  1.8076e-01  1.8746e-01  1.9098e-01
X2       3.9572e+02  3.9871e+02  4.0433e+02  4.1010e+02  8.9080e+02
X3      -2.2886e+02 -1.3694e+01 -1.3607e+01 -1.3581e+01 -1.3524e+01
X4       3.7691e+01  3.8324e+01  3.9426e+01  4.0190e+01  1.0587e+02
X5       2.4728e+01  2.4891e+01  2.5132e+01  2.5299e+01  7.2414e+01
      Global
X.Intercept. -4113.4068
X1              0.0783
X2            488.1392
X3           -10.1058
X4            57.2410
X5            30.7213
Number of data points: 27
Effective number of parameters (residual: 2traceS - traceS'S): 7.2
87358
Effective degrees of freedom (residual: 2traceS - traceS'S): 19.71
264
Sigma (residual: 2traceS - traceS'S): 810.0603
Effective number of parameters (model: traceS): 7.143944
Effective degrees of freedom (model: traceS): 19.85606
Sigma (model: traceS): 807.1297
Sigma (ML): 692.1623
AICc (GWR p. 61, eq 2.33; p. 96, eq. 4.21): 454.4018
AIC (GWR p. 96, eq. 4.22): 436.9169
Residual sum of squares: 12935392
Quasi-global R2: 0.6402362
[1] "SDF"      "lhat"      "lm"        "results"   "bandwidth"
"adapt"
[7] "hatmatrix" "gweight"   "gTSS"      "this.call" "fp.given"
"timings"

Brunsdon, Fotheringham & Charlton (2002, pp. 91-2) ANOVA

data: gwr.fixbisquare
F = 1.1247, df1 = 21.000, df2 = 19.713, p-value = 0.3987
alternative hypothesis: greater
sample estimates:
SS OLS residuals SS GWR residuals
14548324          12935392

```

#untuk fixed kernel Tricube

```
fixtricube=gwr.sel(Y~X1+X2+X3+X4+X5,data = FGWR,adapt =
```

```
FALSE,coords = cbind(FGWR$U,FGWR$V))
gwr.fixtricube=gwr(Y~X1+X2+X3+X4+X5,data = FGWR,bandwidth =
fixtricube,coords = cbind(FGWR$U,FGWR$V),hatmatrix = TRUE)
gwr.fixtricube
names(gwr.fixtricube)
BFC02.gwr.test(gwr.fixtricube)
```

Call:

```
gwr(formula = Y ~ X1 + X2 + X3 + X4 + X5, data = FGWR, coords = c
bind(FGWR$U,
```

```
FGWR$V), bandwidth = fixtricube, hatmatrix = TRUE)
```

Kernel function: gwr.Gauss

Fixed bandwidth: 4.752558

Summary of GWR coefficient estimates at data points:

	Min.	1st Qu.	Median	3rd Qu.	Max.
## X.Intercept.	-5596.80821	-3374.90886	-3336.13480	-3300.12619	-3237.77253

X1	-0.10652	0.14679	0.15132	0.15350	0.16175
X2	419.85808	425.53862	428.89585	432.40131	613.69267
X3	-12.68752	-12.61367	-12.59718	-12.54712	-6.04824
X4	43.06465	43.99933	44.71540	45.33472	76.12869
X5	26.25272	26.66048	26.72676	26.91632	41.05154

Global

X.Intercept. -4113.4068

X1 0.0783

X2 488.1392

X3 -10.1058

X4 57.2410

X5 30.7213

Number of data points: 27

Effective number of parameters (residual: 2traceS - traceS'S): 6.742854

Effective degrees of freedom (residual: 2traceS - traceS'S): 20.25715

Sigma (residual: 2traceS - traceS'S): 821.326

Effective number of parameters (model: traceS): 6.444053

Effective degrees of freedom (model: traceS): 20.55595

Sigma (model: traceS): 815.3348

Sigma (ML): 711.4147

AICc (GWR p. 61, eq 2.33; p. 96, eq. 4.21): 452.9176

AIC (GWR p. 96, eq. 4.22): 437.6985

Residual sum of squares: 13664994

Quasi-global R2: 0.6199443

```
[1] "SDF"      "lhat"     "lm"       "results"  "bandwidth"
"adapt"
[7] "hatmatrix" "gweight"  "gTSS"     "this.call" "fp.given"
"timings"
```

Brunsdon, Fotheringham & Charlton (2002, pp. 91-2) ANOVA

```

data: gwr.fixtricube
F = 1.0646, df1 = 21.000, df2 = 20.257, p-value = 0.4452
alternative hypothesis: greater
sample estimates:
SS OLS residuals SS GWR residuals
14548324          13664994

```

Analysis of Variance Table

	Df	Sum Sq	Mean Sq	F value
OLS Residuals	6.00000	14548324		
GWR Improvement	0.74285	883330	1189103	
GWR Residuals	20.25715	13664994	674576	1.7627

Penentuan Fungsi Pembobot pada Model GWR

#FUNGSI KERNEL ADAPTIVE (adapptive)

Untuk kernel adaptive gaussian

```
adaptgauss=gwr.sel(Y~X1+X2+X3+X4+X5,data=FGWR,adapt
```

```
=TRUE,coords=cbind(FGWR$U,FGWR$V),gweight=gwr.Gauss)
gwr.adaptgauss=gwr(Y~X1+X2+X3+X4+X5,data=FGWR,adapt=adaptgauss,
```

```
coords=cbind(FGWR$U,FGWR$V),hatmatrix=TRUE,gweight=gwr.Gauss)
```

```
gwr.adaptgauss
```

```
names(gwr.adaptgauss)
```

```
BFC02.gwr.test(gwr.adaptgauss)
```

```
anova(gwr.adaptgauss)
```

Call:

```
gwr(formula = Y ~ X1 + X2 + X3 + X4 + X5, data = FGWR, coords = c
bind(FGWR$U,
      FGWR$V), gweight = gwr.Gauss, adapt = adaptgauss, hatmatrix =
TRUE)
```

Kernel function: gwr.Gauss

Adaptive quantile: 0.9812593 (about 26 of 27 data points)

Summary of GWR coefficient estimates at data points:

	Min.	1st Qu.	Median	3rd Qu.	Max.
## X.Intercept.	-4.4898e+03	-3.3751e+03	-3.3015e+03	-3.2815e+03	-3.2649e+03
X1	3.0274e-02	1.4796e-01	1.5419e-01	1.5532e-01	1.5695e-01
X2	4.2314e+02	4.2454e+02	4.2557e+02	4.3214e+02	5.2001e+02
X3	-1.2778e+01	-1.2695e+01	-1.2604e+01	-1.2519e+01	-9.1173e+00
X4	4.3232e+01	4.3758e+01	4.4061e+01	4.5451e+01	6.2166e+01
X5	2.6451e+01	2.6542e+01	2.6666e+01	2.6846e+01	3.3445e+01

Global

X.Intercept. -4113.4068

X1 0.0783

X2 488.1392

X3 -10.1058

```

X4          57.2410
X5          30.7213
Number of data points: 27
Effective number of parameters (residual: 2traceS - traceS'S): 6.4
49167
Effective degrees of freedom (residual: 2traceS - traceS'S): 20.55
083
Sigma (residual: 2traceS - traceS'S): 828.1787
Effective number of parameters (model: traceS): 6.266165
Effective degrees of freedom (model: traceS): 20.73384
Sigma (model: traceS): 824.5158
Sigma (ML): 722.5317
AICc (GWR p. 61, eq 2.33; p. 96, eq. 4.21): 453.0364
AIC (GWR p. 96, eq. 4.22): 438.358
Residual sum of squares: 14095405
Quasi-global R2: 0.6079735

[1] "SDF"      "lhat"      "lm"        "results"   "bandwidth" "a
dapt"
[7] "hatmatrix" "gweight"   "gTSS"      "this.call" "fp.given"  "t
imings"

```

Brunsdon, Fotheringham & Charlton (2002, pp. 91-2) ANOVA

```

data: gwr.adaptgauss
F = 1.0321, df1 = 21.000, df2 = 20.551, p-value = 0.4723
alternative hypothesis: greater
sample estimates:
SS OLS residuals SS GWR residuals
14548324          14095405

```

Analysis of Variance Table

	Df	Sum Sq	Mean Sq	F value
OLS Residuals	6.00000	14548324		
GWR Improvement	0.44917	452919	1008352	
GWR Residuals	20.55083	14095405	685880	1.4702

##Untuk Fungsi Kernel Adaptive Bisquare

```

adaptbisquare=gwr.sel(Y~X1+X2+X3+X4+X5,
data=FGWR,adapt=TRUE,coords=cbind(FGWR$U,FGWR$V),gweight=gwr.bisqua
re)
gwr.adaptbisquare=gwr(Y~X1+X2+X3+X4+X5,data=FGWR,adapt=adaptbisqua
re,coords=cbind(FGWR$U,FGWR$V),hatmatrix=TRUE,gweight=gwr.bisquare
)
gwr.adaptbisquare
names(gwr.adaptbisquare)
BFC02.gwr.test(gwr.adaptbisquare)
anova(gwr.adaptbisquare)

```

```

Call:
  gwr(formula = Y ~ X1 + X2 + X3 + X4 + X5, data = FGWR, coords =
cbind(FGWR$U,
      FGWR$V), gweight = gwr.bisquare, adapt = adaptbisquare,
hatmatrix = TRUE)
Kernel function: gwr.bisquare
Adaptive quantile: 0.4980761 (about 13 of 27 data points)
Summary of GWR coefficient estimates at data points:
      Min.      1st Qu.      Median      3rd Qu.      Max.
X.Intercept. -1.5937e+04 -8.1610e+03 -3.1935e+03  4.1019e+03
8.8792e+03
X1      -4.8295e-01 -2.1948e-01  6.6267e-02  1.0087e+00  1.4633e+00
X2      -3.1047e+02 -1.3851e+02  2.7897e+02  6.6488e+02  1.0980e+03
X3      -1.5286e+02 -2.2942e+01 -9.9099e+00  1.5418e+01  4.6051e+01
X4      -5.7760e+02  2.1808e+01  7.5175e+01  1.7915e+02  2.6764e+02
X5      -5.4721e+01 -2.1717e+01  2.5717e+01  5.7704e+01  9.5187e+01

Global
X.Intercept. -4113.4068
X1           0.0783
X2          488.1392
X3          -10.1058
X4           57.2410
X5           30.7213
Number of data points: 27
Effective number of parameters (residual: 2traceS - traceS'S):
21.46769
Effective degrees of freedom (residual: 2traceS - traceS'S):
5.532313
Sigma (residual: 2traceS - traceS'S): 659.5758
Effective number of parameters (model: traceS): 19.2113
Effective degrees of freedom (model: traceS): 7.788704
Sigma (model: traceS): 555.8857
Sigma (ML): 298.5632
AICc (GWR p. 61, eq 2.33; p. 96, eq. 4.21): 572.909
AIC (GWR p. 96, eq. 4.22): 403.579
Residual sum of squares: 2406779
Quasi-global R2: 0.9330618
[1] "SDF"      "lhat"      "lm"        "results"   "bandwidth" "a
dapt"
[7] "hatmatrix" "gweight"   "gTSS"      "this.call" "fp.given"  "t
imings"

Brunsdon, Fotheringham & Charlton (2002, pp. 91-2) ANOVA

data: gwr.adaptbisquare
F = 6.0447, df1 = 21.0000, df2 = 5.5323, p-value = 0.02103
alternative hypothesis: greater
sample estimates:

```

```
SS OLS residuals SS GWR residuals
14548324          2406779
```

Analysis of Variance Table

```
              Df  Sum Sq Mean Sq F value
OLS Residuals  6.0000 14548324
GWR Improvement 15.4677 12141545  784962
GWR Residuals  5.5323  2406779  435040  1.8043
```

#FUNGSI KERNEL ADAPTIVE TRICUBE

```
adaptrtrcube=gwr.sel(Y~X1+X2+X3+X4+X5,data=FGWR,adapt=TRUE,coords=
cbind(FGWR$U,FGWR$V))
```

```
gwr.adaptrtrcube=gwr(Y~X1+X2+X3+X4+X5,data=FGWR,adapt=adaptrtrcube
,coords=cbind(FGWR$U,FGWR$V),hatmatrix=TRUE)
gwr.adaptrtrcube
names(gwr.adaptrtrcube)
BFC02.gwr.test(gwr.adaptrtrcube)
anova(gwr.adaptrtrcube)
```

Call:

```
gwr(formula = Y ~ X1 + X2 + X3 + X4 + X5, data = FGWR, coords = cb
ind(FGWR$U,
    FGWR$V), adapt = adaptrtrcube, hatmatrix = TRUE)
```

Kernel function: gwr.Gauss

Adaptive quantile: 0.9812593 (about 26 of 27 data points)

Summary of GWR coefficient estimates at data points:

	Min.	1st Qu.	Median	3rd Qu.	Max.
X.Intercept.	-4.4898e+03	-3.3751e+03	-3.3015e+03	-3.2815e+03	-3.2649e+03
X1	3.0274e-02	1.4796e-01	1.5419e-01	1.5532e-01	1.5695e-01
X2	4.2314e+02	4.2454e+02	4.2557e+02	4.3214e+02	5.2001e+02
X3	-1.2778e+01	-1.2695e+01	-1.2604e+01	-1.2519e+01	-9.1173e+00
X4	4.3232e+01	4.3758e+01	4.4061e+01	4.5451e+01	6.2166e+01
X5	2.6451e+01	2.6542e+01	2.6666e+01	2.6846e+01	3.3445e+01

Global

X.Intercept.	-4113.4068
X1	0.0783
X2	488.1392
X3	-10.1058
X4	57.2410
X5	30.7213

Number of data points: 27

Effective number of parameters (residual: 2traceS - traceS'S): 6.449167

Effective degrees of freedom (residual: 2traceS - traceS'S): 20.55083

Sigma (residual: 2traceS - traceS'S): 828.1787


```

Effective number of parameters (model: traceS): 6.266165
Effective degrees of freedom (model: traceS): 20.73384
Sigma (model: traceS): 824.5158
Sigma (ML): 722.5317
AICc (GWR p. 61, eq 2.33; p. 96, eq. 4.21): 453.0364
AIC (GWR p. 96, eq. 4.22): 438.358
Residual sum of squares: 14095405
Quasi-global R2: 0.6079735

```

```

[1] "SDF"      "lhat"      "lm"        "results"   "bandwidth"
"adapt"
[7] "hatmatrix" "gweight"   "gTSS"      "this.call" "fp.given"
"timings"

```

Brunsdon, Fotheringham & Charlton (2002, pp. 91-2) ANOVA

```

data: gwr.adapttricube
F = 1.0321, df1 = 21.000, df2 = 20.551, p-value = 0.4723
alternative hypothesis: greater
sample estimates:
SS OLS residuals SS GWR residuals
14548324          14095405

```

Analysis of Variance Table

	Df	Sum Sq	Mean Sq	F value
OLS Residuals	6.00000	14548324		
GWR Improvement	0.44917	452919	1008352	
GWR Residuals	20.55083	14095405	685880	1.4702

#Mencari Pembobot GWR Setiap Lokasi (SUDAH DIKETAHUI FUNGSI PEMBOBOT TERBAIK ADALAH ADAPTIVE BISQUARE)

```

h<-as.matrix(gwr.adaptbisphere$bandwidth)
i<-nrow(h)
W<-matrix(0,27,27)
for (i in 1:27) {
  for (j in 1:27) {
    W[i,j]<-(1-(jarak[i,j]/h[i])**2)**2
    W[i,j]<-ifelse(jarak[i,j]<h[i],W[i,j],0)
  }
}
W

```

```

      [,1] [,2] [,3] [,4] [,5]      [,6]      [,7]      [,8] [,9]
[1,] 1    0    0    0    0 0.0000000 0.0000000 0.0000000 0 0
.0000000
[2,] 0    1    0    0    0 0.0000000 0.0000000 0.0000000 0 0
.0000000

```

[3,]	0	0	1	0	0	0.0000000	0.0000000	0.0000000	0	0
.0000000										
[4,]	0	0	0	1	0	0.0000000	0.0000000	0.0000000	0	0
.0000000										
[5,]	0	0	0	0	1	0.0000000	0.0000000	0.0000000	0	0
.0000000										
[6,]	0	0	0	0	0	1.0000000	0.0000000	0.0000000	0	0
.0000000										
[7,]	0	0	0	0	0	0.0000000	1.0000000	0.0000000	0	0
.0000000										
[8,]	0	0	0	0	0	0.0000000	0.0000000	1.0000000	0	0
.0000000										
[9,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	1	0
.0000000										
[10,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
1.0000000										
[11,]	0	0	0	0	0	0.8162707	0.9240968	0.9166667	0	0
0.9066232										
[12,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[13,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[14,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[15,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[16,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[17,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[18,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[19,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[20,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[21,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[22,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[23,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[24,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[25,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[26,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[27,]	0	0	0	0	0	0.0000000	0.0000000	0.0000000	0	0
0.0000000										
[,11]	[,12]	[,13]	[,14]	[,15]	[,16]	[,17]	[,18]	[,19]	[,20]	

[,21]								
[1,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[2,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[3,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[4,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[5,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[6,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[7,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[8,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[9,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[10,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[11,]	1	0 0.817553	0	0	0 0.9270174	0	0	
0	0							
[12,]	0	1 0.000000	0	0	0 0.000000	0	0	
0	0							
[13,]	0	0 1.000000	0	0	0 0.000000	0	0	
0	0							
[14,]	0	0 0.000000	1	0	0 0.000000	0	0	
0	0							
[15,]	0	0 0.000000	0	1	0 0.000000	0	0	
0	0							
[16,]	0	0 0.000000	0	0	1 0.000000	0	0	
0	0							
[17,]	0	0 0.000000	0	0	0 1.000000	0	0	
0	0							
[18,]	0	0 0.000000	0	0	0 0.000000	1	0	
0	0							
[19,]	0	0 0.000000	0	0	0 0.000000	0	1	
0	0							
[20,]	0	0 0.000000	0	0	0 0.000000	0	0	
1	0							
[21,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	1							
[22,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[23,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[24,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							
[25,]	0	0 0.000000	0	0	0 0.000000	0	0	
0	0							

[26,]	0	0	0.000000	0	0	0.000000	0	0
0	0	0	0.000000	0	0	0.000000	0	0
[27,]	0	0	0.000000	0	0	0.000000	0	0
0	0	0	0.000000	0	0	0.000000	0	0
	[,22]	[,23]	[,24]	[,25]	[,26]	[,27]		
[1,]	0	0	0	0	0	0		
[2,]	0	0	0	0	0	0		
[3,]	0	0	0	0	0	0		
[4,]	0	0	0	0	0	0		
[5,]	0	0	0	0	0	0		
[6,]	0	0	0	0	0	0		
[7,]	0	0	0	0	0	0		
[8,]	0	0	0	0	0	0		
[9,]	0	0	0	0	0	0		
[10,]	0	0	0	0	0	0		
[11,]	0	0	0	0	0	0		
[12,]	0	0	0	0	0	0		
[13,]	0	0	0	0	0	0		
[14,]	0	0	0	0	0	0		
[15,]	0	0	0	0	0	0		
[16,]	0	0	0	0	0	0		
[17,]	0	0	0	0	0	0		
[18,]	0	0	0	0	0	0		
[19,]	0	0	0	0	0	0		
[20,]	0	0	0	0	0	0		
[21,]	0	0	0	0	0	0		
[22,]	1	0	0	0	0	0		
[23,]	0	1	0	0	0	0		
[24,]	0	0	1	0	0	0		
[25,]	0	0	0	1	0	0		
[26,]	0	0	0	0	1	0		
[27,]	0	0	0	0	0	1		

#Estimasi Parameter Model GWR (Konstanta Setiap Variabel Pada Setiap Model Kabupaten/Kota)

gwr.adaptbisquare\$SDF\$(Intercept)"

gwr.adaptbisquare\$SDF\$X1

gwr.adaptbisquare\$SDF\$X2

gwr.adaptbisquare\$SDF\$X3

gwr.adaptbisquare\$SDF\$X4

gwr.adaptbisquare\$SDF\$X5

[1]	-8161.007	-5950.627	-5197.417	8879.189	-15937.475	-3193.459
[7]	1491.054	4208.390	4967.594	3245.202	5807.307	3995.402
[13]	2672.034	6585.641	-5813.647	-10400.185	-12566.326	1452.774
[19]	-8161.007	-5950.627	8879.189	4967.594	-10400.185	-8908

.670
[25] -9209.332 -3193.459 3255.596
[1] -0.20623557 0.06626685 0.35882063 -0.23278464 0.08868439 0
.84177951
[7] 1.19701489 1.36086025 1.46328952 1.17567680 -0.48295379 0
.45048357
[13] -0.24346956 -0.25991306 -0.08278421 -0.22659150 -0.10641164
1.18496395
[19] -0.20623557 0.06626685 -0.23278464 1.46328952 -0.22659150 -
0.21237112
[25] -0.14200792 0.84177951 1.32786880
[1] 642.32989 490.46162 489.88085 -284.02239 1097.97301 278.96
797
[7] -98.74662 -310.46841 -301.82519 -178.27244 789.59792 124.08
132
[13] 82.65582 -95.57087 581.46184 763.41106 946.57603 -98.0
7855
[19] 642.32989 490.46162 -284.02239 -301.82519 763.41106 687.4
3620
[25] 723.24621 278.96797 -249.48544
[1] 22.917165 8.623200 -13.213328 -25.601802 46.051382
3.069755
[7] -10.164648 -20.282188 -28.582156 -20.056394 -152.860977 -
58.913439
[13] -18.540869 -33.697172 -3.788856 29.058308 15.736464
-9.909912
[19] 22.917165 8.623200 -25.601802 -28.582156 29.058308
24.465949
[25] 15.100037 3.069755 -15.125951
[1] 189.60069 163.02041 168.70502 -577.59682 239.00780 75.17
462
[7] 45.80620 51.90598 30.94536 12.67075 -105.32713 -72.92
384
[13] -304.56702 -429.31112 139.25122 267.63670 242.51874 45.7
2292
[19] 189.60069 163.02041 -577.59682 30.94536 267.63670 214.1
1549
[25] 84.71511 75.17462 45.87138
[1] 25.716817 17.370211 18.926317 57.703566 61.537911 -9.656
607
[7] -34.917581 -51.492794 -54.720806 -35.098256 95.187419 21.433
622
[13] 67.111969 60.296137 35.887392 29.114662 76.133755 -33.77
7558
[19] 25.716817 17.370211 57.703566 -54.720806 29.114662 26.95
3525
[25] 77.026848 -9.656607 -45.680673

